

5. EXERCISE "DATENSTRUKTUREN UND EFFIZIENTE ALGORITHMEN", WS 18/19

Exercise 1: (5 Credits)

Construct for each $k \in \{0, \dots, m-2\}$ a string of length m such that its suffix tree has $k + m$ edges. Proof your result.

Exercise 2: (4.5+4.5+6=15 Credits)

Use the existence of a linear-time algorithm to construct a (compressed) suffix tree to show that the following problems can be solved in linear-time.

- (a) Find *all* occurrences of pattern P in a string S .
- (b) Determine whether pattern P occurs in all strings S_1, \dots, S_ℓ .
- (c) Determine the longest substring of a string S that occurs at least two times in S .

Exercise 3: (2.5+2.5=5 Credits)

Let m be an arbitrary integer and \mathcal{S} be the set of strings $S = s_1 s_2 \dots s_m$ with $s_i \neq s_m = \$$, $1 \leq i < m$. Provide a string $S \in \mathcal{S}$ such that its implicit suffix

- (a) has the fewest number
- (b) has the largest number

of edges among all strings in \mathcal{S} . Proof your result.

HINT: Exercise 1

Exercise 4: (5 Credits)

Build the implicit suffixtree \mathcal{T} of the string $S\$ = TOCOTOC\$$ using Ukkonens algorithm. Give for each phase $i + 1$ and each extension j where Rule 1 is not applied the respective "intermediate" trees.

Draw all suffix-links within your constructed \mathcal{T} .

Deadline: Wednesday - November 21, 2018 - 12.15pm